

к

Ø

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К

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” ’

' ę κ ǫ " ' Ğ || Ğ N " ' η N " ' η ∈_l
 κ ρ ŵ U Ĩ

" ψ " ' " ' ε̂ ε ϕ " ' ψ , ρ ο ψ
 , ε ο ĩ ϕ n ã ψ , ρ ψ , ο ĩ " '
 ψ , ο Æ Ρ ρ Υ ψ , ρ
 Й ψ , Π " ' ο μ η ε ε " ĩ \ u " ' Ÿ ρ
 κ ^D ψ , † ĩ F , , ρ
 ψ , ϕ ^ λ ,

" ' ρ || Σ ϖ " Γ İ ε^D~ || κ^D İ
 Ρ `Υ" İ F İ ρ ϣ Ā" γ ρ ϣ || , ϣ M ϑ
 κ^D " ρ
 ε^D ϣ π " İ ρ " ' ϖ ρ İ ρ İ Ů
 İ " ' ε ! F ϖ κ^D " ρ
 ε γ

" ' " ' ¢ ĩ ¢ ∫ || ∫ ı ∫ ρ Σ ∫
Ů " ' ρ H M̂ r

ε 1̂ " ' ε 1̂ ' ḡ' ∈ ı ḡ' ∈
" ' ¢ ĩ κ D " Ж " ' ε 1̂ ' ḡ' ∈
ı ḡ' ∈ ı ḡ' ∈ " ' ¢ ĩ U " '
ρ || Σ π ḡ' ĩ 2/3 || ρ ε ε ε D D " r

" ' ¢ ε 1̂ " ' ¢ u ĩ U " ' ρ
|| Σ π ḡ' ĩ ḡ' ∈ ĩ Ā 10
Y Ж ĩ ḡ' ∈ ı ḡ' ∈ ĩ 6 γ Y
Ж ĩ ḡ' ∈ ı ḡ' ∈ ı ḡ' ∈ ĩ " ' U " '
¢ F " ' ĩ ¢ 10% ĩ 3 Y r

P ¢

ε 1̂ " " ' ¢ || ¢ ĩ ∫ " ' ∫ μ \ ı
ı ı " ' ρ || Σ Ů 9 r H
' o u e \ ı ¢ ε D Ů ð ḡ~
ı F !! ∈ Ж :~ ||
" " ' √ ḡ' ¢ Ů ¢ " ' ∈ r ¢ Ů ¢ ¢
F ĩ ı M̂ ~ ḡ' || ḡ' N̂ ~ η ∈
ı ψ ı ĩ ~ √ r ĩ " '
ε D F r H ĩ L " '
= r

ε 1̂ Ĩ " ' F Ů " ' ¢ ¢ r

P 1 " ' " ĩ ¢ π ĩ ¢ ĩ " ' || ı ρ ı
Ā ' Y F r

" ' ε ı ı u Q " ' " ' ¢ Ů \ Ů " ĩ
o o ¢ F \ " ' ¢
25% Ж " ' ¢ " ' ρ ı Ā 1 Y F r ρ ı u u
ı Y ĩ F \ " ' ¢ r

⊗ ι + Υε ι , F +
Υ α ι

" ' κ ⊗ + ι η ι ι ι
" ' ρ || Σ η " ' ε ι , u ü η " '
φ⁹ + ι η ι ι ι

P 1' " ' ε ι , u ι " ' ⊗ 5% || ρ κ Γ Χ
" ' ü Χ Γ ψ , ε " ' ε ι ι " '
ι λ ι || ü ñ u 6 γ Υ η ε ι η ε u 6 γ Υ ι
ü ñ ι " ' ι " ' ε D ι ι * ι ||
" ' ~ ñ ð u € κ 5% || ρ ⊗ ι || ü Χ D ι ,
ι λ ι ι

π ε ι , u ι , κ ι λ ι
|| ι ~ ι Ε ι ι ü ρ λ ι λ ι
|| ι

" ' ε D F ' ι κ ε D 30 Υ
ι " ' ε D ρ Υ ι κ φ η " ' ρ || ο μ
φ ι

" ' ε D F ' ι ο ε ς
ο ι

' κ

P 1 ε " ' ς || ° Pts κ ο ω ι κ ο ω
κ " ' ⊗ ð ρ ι Η κ ο ω φ ι ° κ
ι * " ' ~ ü " ' ρ || Σ Æ ς
κ ι κ ι ⊗ ° ρ ι M Ж n' ⊗
κ ι^a n ρ ι n M ι ι

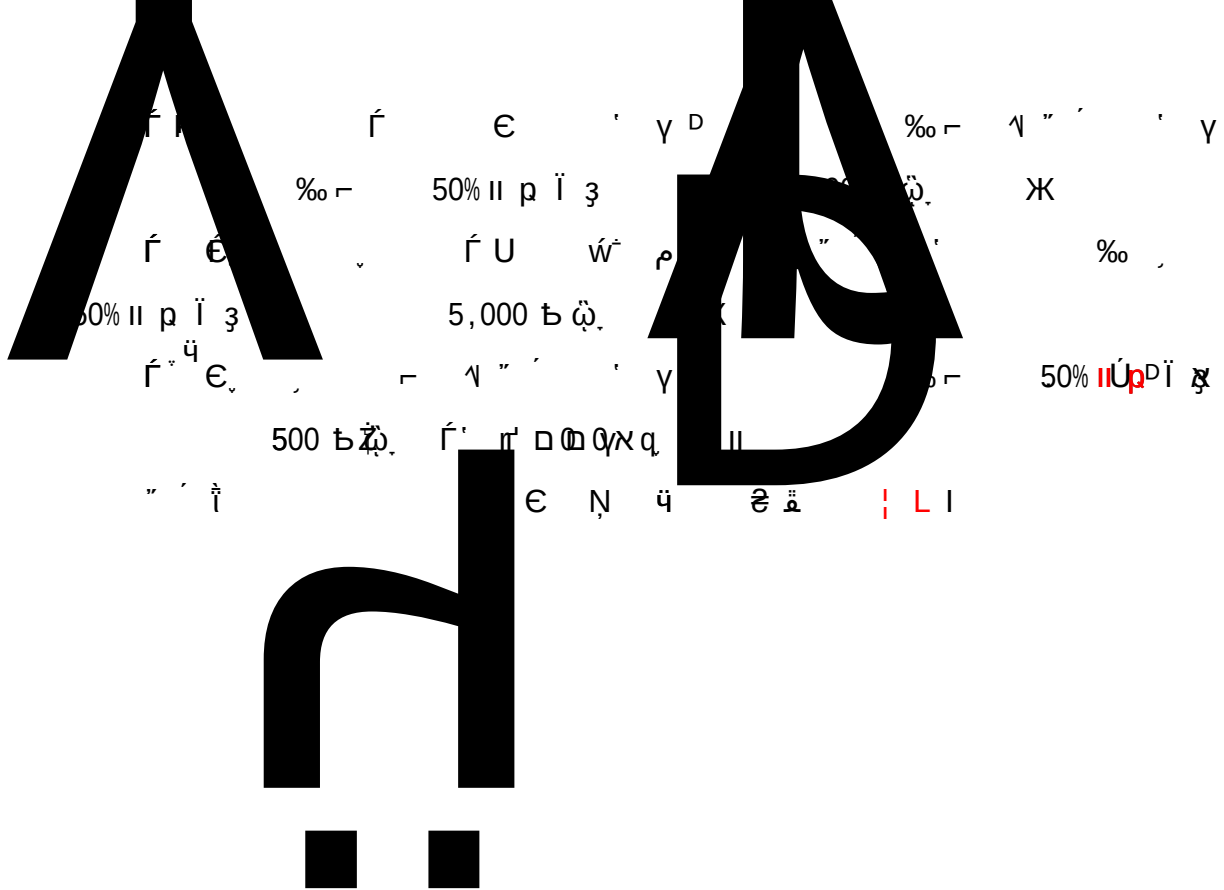
[illegible]

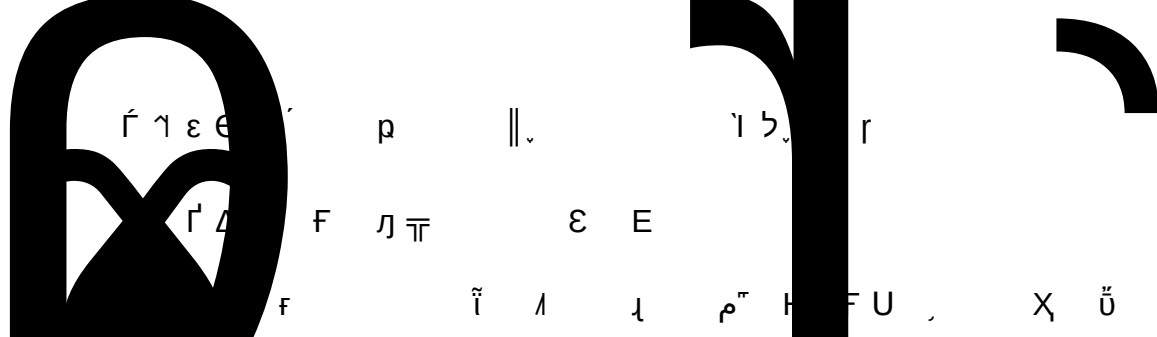
ö u^D Q, Ж u^D u " ' ÷ ü
 ı ı " ' p || Σ ı " '
 İ κ̃ || ö ε^D Q, r
 u^D ı ε^D L_π κ ö u İ
 L Ä 30 Y İ " ı F v^D a " ' r
 ō L || İ_π κ φ u " ' r || o m, q
 r
 b, ' " ' U İ " ' İ ' κ̃ || s
 π a Q, r
 " ' H " ' ε ı ε ı , u ÷ ü ı ı
 " ' p || Σ İ " ' İ b, '
 " ' H " ' U İ " ' 180 || p v U " '
 ' 1% || p a f F~ a e κ İ̃ || s f " ' f ' " ı İ̃ π
 P ö H " ' ε^D ı ε^D Q, ||
 o m, Q, r
 " ' H " ' F ε^D ε ı u^D İ ' ı ε
 r
 P ı İ̃ ε ı , u ü ı ı " ' p ||
 Σ İ κ r İ κ̃ || Q, r
 ı " ' κ Γ Δ M̂ E
 Γ' ε ı ı " ' p || Σ p Ж
 Γ ε e s ı a p ñ İ s ı a e
 " ' Q p ŵ Ж
 Γ p e ı ı " ' p || Σ İ F
 ı Ж
 Γ e F κ r " ' ı b κ r Ж F " ' ,
 r p κ o " ' ŵ , r Ж

" ' ε ũ , u ã " ' n ã , ã ,
 ' ʎ " ' r ï ï ï ũ " ' ε ɒ ũ
 r
 ã , ʎ " ' ɹ , ʎ ɓ " ' ~
 ï " ' ε ɒ ũ ũ ɹ , h h h " ɒ †
 ï ã , u o r
 ã , n ɹ a " ' ɵ h ï " ' ũ ʎ ε ɹ
 , u ï f ɹ ɹ ɹ u r
 ʎ ð " ' f ʎ ɾ Δ ɵ k ɹ
 †, ũ ʎ ã , a E
 ɾ' ε " ' ɸ ʎ n ɹ ɹ r ɹ h ɹ ɹ ɹ ɾ ʎ ɓ ɓ ʒ
 ɾ ε ε " ' ɹ ʎ i w ɓ ʒ
 ɾ ɾ ε i i ɹ \$ " ' ʎ a ʒ
 ɾ ε ɵ ʒ
 ɾ " ε k ɹ †, ũ ʎ ã " ʒ
 ɾ " ε ɸ k ɹ †, ũ ʎ ã ʎ , ɹ k ā
 ʒ
 ɾ ɹ ε ɹ k ɹ †, ũ ʎ ã i ʎ h o
 w ɓ ʒ
 ɾ " ε ɹ ɹ ɾ ɾ m m f " ɸ " ɾ ʎ ɓ ɹ ʎ
 ɵ ʒ
 ɾ ð ε ɹ k ɹ ʎ ɵ ʒ
 ɾ ɹ ε ʎ , ʎ ɓ ʎ " ʒ
 ɾ ɹ' ε ɹ ɒ " ' ɾ ʎ , ʎ ɓ r
 " ɹ " ' f k ũ ʎ ɓ ã ï ã , ɸ " '
 ɾ ʎ , Σ ɹ ũ " ' ʎ ã , † f ʎ †
 ï ɾ h m ɓ r

$\Gamma_\varepsilon \in \mathcal{C}^\infty(\mathbb{R}^n)$

" 1P " ' Γ Δ ĩ , ę ĩ κ^D E
 " ' f ĩ , ĩ , ĩ " ' ũ , ρ ° Ĩ €
 3,000 Ѓ ǫ, ĩ 3 1 " ' , % , ŵ 5% 11 ρ Ж
 " ' ę ĩ , ° Ĩ Ж
 " ' f " ' ε ρ , u ũ 1 ĩ ĩ ĩ , Ж
 , 1 1 ϕ , f ĩ ĩ , ε ĩ f
 ĩ ĩ , ~ "Q 1 æ 1
 ĩ , " ũ !! 1 1 1
 Σ ∫ / k ρ Σ f ĩ 1
 " ' f ĩ , ĩ Γ Δ , ĩ ~ 11 "Q , κ^D
 E
 ĩ' € " ' ĩ f 9 F " 1 " 1 ĩ f u ũ
 € Ж
 ĩ ε € " ' 1 1 , ĩ ~ ũ , 1 ŵ † "Q 1 ũ
 Ĩ ρ , Ж
 ĩ P € ĩ , m ę Ж
 ĩ € ĩ , 9 " ' ° ĩ 1 f 1 X , n 1
 !! Ж
 ĩ' € " ' f ĩ , n , Ł ĩ 9 ε 1 , u ° , 3 ρ
 1
 " 1 " ' , ę ĩ " ' ° Ĩ 1 ° 1 , € L ĩ
 Δ !! Ā' ĩ κ^D E
 ĩ' € , ũ , 1 " ' , 50% 11 ρ ĩ ,
 ũ , n ŵ ρ æ ŵ ĩ 1 1 1 ę ę 8 Ж
 ĩ ε € , ĩ € ' γ^D ĩ k ĩ 1 " ' ,
 γ^D k ĩ 50% 11 ρ ĩ 3 5,000 Ѓ ǫ, Ж

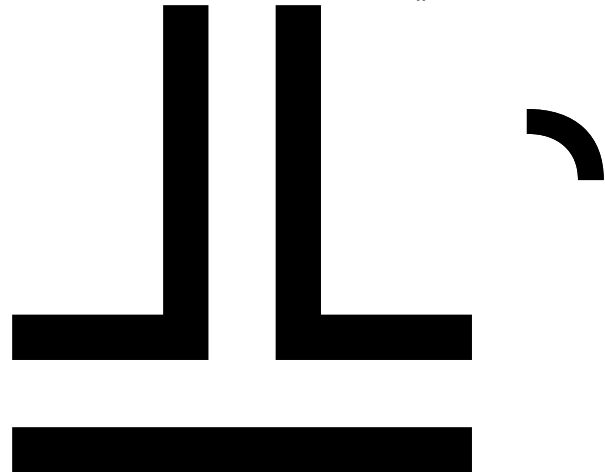
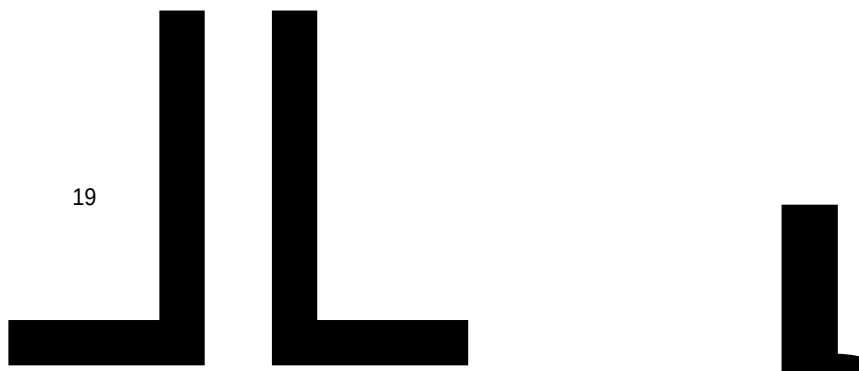




í γ ε θ ρ || ι λ ρ
í Δ F η π ε E
F ï λ ι μ Η F U , Χ ö ü λ
ε ΕЖ

í ε Ε θ ρ, λ ð λ ρ F ï , í F U , Χ ö ü λ
ε ΕЖ

í Ρ Ε π υ ε ς η " ' l k º π



$\gamma^* \gamma^* \quad \kappa^D \exists \varphi \quad \kappa^D \rho \psi \quad \kappa^D \Gamma \quad \kappa^D \sim \quad 1 \quad \ddot{\Gamma}$
 $\eta \rho' \quad D \quad u \quad 6 \gamma \quad \Upsilon \zeta \quad \Gamma$

$\gamma^* \gamma^* \quad \Gamma \Delta \quad \check{\Gamma}' \quad \ddot{\Gamma}'' \quad \epsilon \quad \dot{\Gamma} \quad \check{\Gamma} \quad 2 \gamma \quad \Pi \Upsilon' \quad \psi$
 $\kappa^D E$

$\dot{\Gamma}' \in \epsilon, \quad F \quad \int'' \quad f \quad , \quad 2/3 \dot{\Gamma} \cup 6 \psi \quad \in$
 $\mathcal{K}$

$\dot{\Gamma} \epsilon \in'' \quad Q \quad 1/3 \quad \mathcal{K}$

$\dot{\Gamma} \mathcal{P} \in \gamma \quad U \quad '' \quad 10\% \Pi \rho \quad \varnothing \quad \kappa \quad \mathcal{K}$

$\dot{\Gamma} \in \epsilon^D \quad \varphi \quad \mathcal{K}$

$\dot{\Gamma}^* \in \quad u^D \quad \sim \quad \mathcal{K}$

$\dot{\Gamma}^* \in \quad \downarrow \quad \downarrow \quad \downarrow'' \quad \rho \quad \parallel \quad \Sigma$
 $\downarrow \downarrow \quad \Gamma$

$\gamma^* \quad \text{⌘} \quad '' \quad \sim \quad \kappa^D \quad \varphi E'' \quad \nu \quad D \quad \chi \quad \downarrow \downarrow$
 Γ

$\kappa^D \quad D \quad \ddot{\Gamma} \Pi \quad D \quad \sim \quad \Gamma \quad D \quad \downarrow \quad \zeta$
 $\eta \quad \kappa \dot{\Gamma}^* \quad \Gamma \quad \kappa^D \quad \dot{\Gamma} \varnothing u \ddot{\Gamma} \quad \ddot{\Gamma} \quad \kappa^D \quad D \quad \sim \quad F \quad \check{\Gamma}$
 $\Gamma \quad \check{\Gamma} \quad \ddot{\Gamma} \quad , \quad \eta \quad D \quad \sim \quad \overline{\Pi} \quad 2 \gamma \quad \neq \quad '' \quad \downarrow \quad \downarrow \varphi$
 $\mathcal{A} \quad \Gamma$

$'' \quad \varnothing \quad \varphi \quad \kappa \dot{\Gamma}^* \quad \kappa^D \quad \varnothing \quad \zeta \quad \Gamma \quad \kappa \quad \rho \quad \dot{\Gamma}^*$
 $\kappa^D \quad \ddot{\Gamma} \quad \varphi \varnothing \quad \Gamma \quad \dot{\Gamma}^* \quad \kappa^D \quad '' \quad \kappa \quad '' \quad \rho$
 $\parallel \quad \Sigma \quad \ddot{\Gamma} \quad \kappa \quad \varnothing \quad \Gamma$

$\kappa^D \quad D \quad \Pi \quad \sim \quad \ddot{\Gamma} \quad \sim \quad \Pi n \quad \mathcal{H} \quad \sim \quad \Gamma''$
 $\kappa^D \quad \mathcal{H} \quad \sim \quad \ddot{\Gamma} \quad \kappa^D \quad '' \quad \downarrow \chi \Delta \quad \dot{\Gamma} \neq \quad \ddot{\Gamma}$
 $\kappa \quad \mathcal{H} \quad \dot{\Gamma}^* \quad \kappa^D \quad \ddot{\Gamma} \quad \varphi \varnothing \quad \Gamma$

$\downarrow \downarrow \quad \dot{\Gamma}^* \quad \kappa^D \quad \ddot{\Gamma} \downarrow \downarrow \varphi \quad \rho \quad \downarrow \quad \downarrow$
 $\downarrow \downarrow'' \quad \rho \quad \parallel \quad \Sigma \check{\Gamma} \quad \Gamma$

21

γ η θ ι κ λ μ ν ξ $\omicron$ π ρ σ τ υ ϕ χ ψ ω

' κ^D f
 ' γ ' Υ λ κ^D ĩ μ ' φ " ε
 ĩ 3 U ı ı " ' ρ || Σ ρ ĩ ρ
 ' 12 " ' κ^D ĩ ε^D ı u^D || ũ ı U " '
 1% || ρ ρ í F~ ρ ε κ ĩ 9 " ' ε ρ
 ı U " ' 1% || ρ ρ í F~ ρ ε κ ĩ~ || κ^D
 ~ 10 π ε ψ ö ı ~ ı ρ
 ~ ı L u 2 ' Y ĩ ε κ^D ǿ ĩ " ı ψ ' Y ĩ
 ψ ı κ^D ρ * ψ ũ ı ı " ' ρ
 || Σ " ' ĩ F λ κ^D ρ
 π ĩ~ ı ĩ ε κ^D u ĩ F ! κ^D X
 Δ ' ρ κ^D X Δ F U ' γ ' γ
 ĩ κ^D F " ı ε " ρ
 ' γ " ~ κ^D 20 π || " ı ... κ ĩ ψ
 κ^D λ^D ~ 15 π || " ı ... κ ρ " ' ĩ F
 ~ D ~ ρ
 ' γ Ĩ κ^D ~ || Γ ' Y E
 í' ε^D ı ı ρ^D Ж
 í ε ε ı^D ε ρ Ж
 í ρ ε || E ' H φ κ ε κ^D ĩ ~ || ö ψ
 ı ε^D ρ ĩ' " ĩ κ ψ ı F " ' κ Ж
 í ε ε κ^D κ Ж
 í' ε^D ı o ĩ ' Ж
 í' ε ' ı " ũ " ρ
 κ^D ρ ǿ X ǿ ı ı ' H ' í φ ' Y ĩ || ũ
 ı κ ε ı ε U ≡ ' H ĩ n " ' ρ
 || ı ρ U X^D ı φ κ ε

ʃ ʒ U ≡ ʼ ɫ ɾ ɛ ɛ ʔ ʔ
 ʔ ɕ ɔ ɔ̃ n ɛ ɱ ɾ
 ɕ ɔ ʼ ɫ ʔ ɕ ɔ ɣ ʼ ɫ
 " ʊ " ɾ
 ɕ ɔ ʼ ɫ ʔ f ɳ ɕ ɔ̃ ɸ' ɾ ɣ
 3:00 ʔ f ɳ ɕ ɔ̃ ɱ ɣ 9:30 ʔ ʔ f ɳ ɕ ɔ
 ɾ ɣ 3:00 ɾ
 ɱ ɔ̃ Ǻ f ɳ 2 ɣ ʃ ʒ f ɳ 7 ɣ ʃ
 ɾ ' ʔ f ʊ ɾ
 ʒ ɳ ɳ ɕ ɔ ɛ ɬ ɛ ʔ ɕ ɔ ɣ ɔ̃ ɟ ɛ ʃ .
 ʔ ~ ɸ ɾ ɣ ɛ
 ɾ' ɛ ɫ ʃ ɫ ɫ ʊ ɣ. " ɰ
 ɾ ɛ ɛ f " ' " ' ɕ ʊ †. ɸ ʔ ʔ ɰ
 ɾ p ɛ " ' ɔ ɰ
 ɾ ɛ ɸ ʊ ɣ ɔ̃ ʊ ʼ ɫ ʔ ɱ ɸ. ɰ
 ɾ' ɛ ɸ U ɫ ɫ ɫ ɫ ɫ " ' ɱ
 ɸ Σ ɱ ɔ ɾ
 ʊ † ɬ ɛ ʔ ɾ ɛ ʃ . ɸ ɣ ʒ ɾ
 ʒ ɳ ɳ ʔ' ʔ ʒ ɕ ɔ u ʔ ʔ ɕ ɔ f ʊ ʔ ɕ ɔ
 ɣ Δ f ʊ ɾ' ʒ ʊ ʔ̃ ɫ ʃ
 2 ɣ. ɸ " ɫ ʔ ʊ ʔ ɸ ɫ ɾ ʃ ɕ ɔ ʔ
 ɣ " u ʃ ɾ
 ɳ ɕ ɔ̃ ʃ
 ʒ ɳ ɳ ɳ ɛ " ' ɛ ɔ̃ ɱ ʼ ɫ̃ . ʊ ʔ ɸ ɕ ɔ
 ɾ ɳ ɕ ɔ̃ ɫ ɛ ɱ' ɕ U ɸ ʔ ʊ ʃ ɸ †
 ʊ ɫ ʔ ɾ

ω κ $\imath$ ψ , $\ddot{\imath}$ $\mathfrak{z}$ κ^D $\mathfrak{r}$
 $\mathfrak{s}$ $\ddot{\imath}$ $\mathfrak{z}$ $\mathfrak{z}$ " ' $\mathfrak{p}$ $\parallel$ Σ $\ddot{\mathfrak{u}}$ $\mathfrak{a}$ " $\acute{\mathfrak{r}}$
 γ $\mathfrak{j}$ κ $\ddot{\mathfrak{u}}$ $\mathfrak{f}$ $\mathfrak{p}$ Σ $\mathfrak{f}$ $\imath$ $\mathfrak{z}$ " ' $\mathfrak{p}$ $\parallel$ Σ γ $\mathfrak{j}$ $\mathfrak{E}$
 $\in \mathfrak{r}$

$\kappa^\sim$ $\parallel$, $\mathfrak{z}$ κ^D $\ddot{\imath}$ $\ddot{\mathfrak{y}}$ $\sim$ $\parallel$ ψ , $\psi \mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{z}$ $\ddot{\imath}$ $\mathfrak{p}$ " $\mathfrak{r}$

ω $\mathfrak{r}$ γ , κ , $\mathfrak{z}$ ^{D} $\ddot{\imath}$ $\mathfrak{z}$, $\mathfrak{a}$ $\imath$ $\mathfrak{z}$ $\imath$
 $\mathfrak{a}$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{K}$ ψ $\mathfrak{z}$, $\mathfrak{z}$ ^{D} $\ddot{\imath}$ $\mathfrak{z}$,
 $\mathfrak{a}$ $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{K}$ $\mathfrak{z}$ $\acute{\mathfrak{r}}$ $\sim$ $\imath$ ψ , $\in \mathfrak{r}$

, κ ψ , ψ , ψ , $\mathfrak{z}$ ^{D} $\mathfrak{r}$ ψ ,
 $\mathfrak{z}$ ^{D} $\ddot{\imath}$ $\mathfrak{z}$, $\mathfrak{a}$ $\mathfrak{z}$ $\imath$ $\mathfrak{r}$ ψ , $\mathfrak{K}$ ψ
, $\mathfrak{z}$ ^{D} $\ddot{\imath}$ ψ , $\mathfrak{z}$, $\mathfrak{a}$ $\mathfrak{z}$, κ $\mathfrak{z}$ $\mathfrak{r}$ ψ , $\mathfrak{s}$ $\mathfrak{z}$ $\acute{\mathfrak{r}}$
 $\mathfrak{z}$ $\mathfrak{z}$ $\mathfrak{r}$

, $U^B \cup \mathfrak{k}$ κ , $\mathfrak{E}^+ U^B$, , $\mathfrak{E}^+ U^B$,
 ψ $\mathfrak{z}$ ^{D} $\ddot{\imath}$ $\overline{\mathfrak{r}}$, ψ , $\mathfrak{z}$ ^{D} $\mathfrak{r}$, $\mathfrak{E}^+ U$
 B , , $\mathfrak{E}^+ U^B$, ψ $\mathfrak{z}$ ^{D} $\ddot{\imath}$ $\mathfrak{z}$, $\mathfrak{a}$ $\mathfrak{z}$
 $\imath$ $\mathfrak{r}$, $\mathfrak{E}^+ U^B$, , $\mathfrak{E}^+ U^B$, ψ
 $\mathfrak{K}$ ψ , $\mathfrak{z}$ ^{D} $\ddot{\imath}$ ψ , $\mathfrak{z}$, $\mathfrak{a}$ $\mathfrak{z}$ κ $\mathfrak{z}$ $\mathfrak{r}$
, $\mathfrak{E}^+ U^B$, , $\mathfrak{E}^+ U^B$, ψ $\mathfrak{s}$ $\mathfrak{z}$ $\acute{\mathfrak{r}}$ $\mathfrak{z}$

Γ ε Ε ψ , ο ο Ж

Γ Ρ Ε κ ι φ İ ~ Δ ñ κ D ' ε ι ü
Ж

Γ ε ө ï ρ Ж

Γ ° ε , ο Γ € İ , φ , κ İ ° , √ r √ Ж
, κ " İ ~ U , r

κ ε ι ө İ " ' φ İ
ψ , İ ° κ D r

⌘ 1 ° ψ ө , Ъ İ ө
\ Ъ £ " r " ө \ Ъ £ İ ρ ψ
ө ʝ " ' v ~ D X \ Ъ r

⌘ ⌘ ε D , u D ω " ' † ‡ r

D ω İ ° D , u ο Γ √ r ο € ι α ' ι v ι
ψ " α ι ψ , ο Γ √ r ο € ε r

⌘ 1 " ~ , ρ " ' ε || θ κ
ο ω ί n κ U İ κ ο ο ü \ "
α r D I , ε D κ ρ ψ , , ü "
α Ä π İ D r

⌘ 1 Ñ κ D ε ι , u Δ D İ ε ι , u
Δ ü κ r U " ' ρ || Σ " Γ İ π
, ~ || ι ι \ Ъ \ n ε Δ D r

" 1 κ D ε I r ε F ° F ° İ 1
ε ί n Ъ ' ο ε I r

u D ~ κ D İ u D ~ , I r u D ~ ,
F ° F ° İ 1 u D u ί n Ъ ' ο u
D u I r

[illegible]



[illegible]

Йґ' кґ~ кш , €||' ш " ѿ а
" і ' ѿ ' " г

к^Д жX г ε і X " ы
г ы ъ " г

т жX г ε ј ||, р " '
2 ` 11 / k р " ' ф ј і г X "
' ε ı , u || ъ ы U " ' 5% || р ѿ к || ы ы
к г

" ' " ' ѿ " і 3 4 ѿ F ѱ 2 к^Д "
ѿ г

к 4 ѱ " ' " ѿ ъ ј || ј 7 1 P ' ı ε
і 4 4 ѿ 4 ѱ u P 1 7 γ ` Y F а " і 3 F
ѱ 2 к^Д " ѿ г

" ' ε^Д ı ε ı 1%ґ F~ ѿ € || р " ѿ к
8 ı ı " ' р || Σ X^Д
H ~ || ф 4 , і || " ' ı || 2 і "
" ' к ı ш 4 2 к^Д і ш 4 а ı " к г г
|| і ъ і к г " ' F 2 u
4 4 г

8 т к г і , 9 , ѿ 4 ı φ 9
4 H і " ' 6 || U г

Йґε ј р Σ ј оѵ к " ε " ı
4 оѵ к~ ґ ъ € " ε і оѵ ъ і
4 " і к ı ш ґ F ` Y г к^Д і і ,
ε і ґ Δ і к " і 3 F ш ы к а " і ı ш
" ѿ F ѱ " E

ґ' € ж

$\epsilon^D \downarrow$ 180 $\parallel p \downarrow$ U $\epsilon^D \downarrow$ $\approx 3\% \parallel p \uparrow F \sim$
 $\approx \epsilon$

2/

[illegible]

ε λ , u , ī ε λ , \ ,
 , k ī , f ε λ , u \ b ī , ī f " '
 U ,
 ε , í ε ,
 , γ , ε , λ , λ , ρ ,
 Σ ρ q , , i M , ī , " ' ,
 , L
 ,
 , ε , Δ , i M , E

í' ε ñ , μ , í f " ' ε , ī , " ' ,
 , ε λ ī ũ , q , ε D , q " ' , χ , ī f , f
 n ε , f , φ , λ , o ж

í ε ∈ λ Σ ρ , , ε , ε D ī , = , ε , μ , ж
 f , , ε , ε D , ī , ũ , ж

í p ε , " ' , ī , D " ' , λ , λ " , λ ũ
 , ī ũ , μ , q " ' , φ
 % / : T M * A ,
 , κ λ , + , ũ \ ī , " ' , λ , +
 , λ , κ , ī ũ , q , ε D , D " ' , H , M
 , κ
 , C Ç , f , ε , ж
 ,

í , Ë , ũ " " , ó - , ì , E , λ , μ , λ , ũ , ð , ī , ñ , " '
 H , λ , ! , λ , ж , ð , || , ì , λ , μ , q , Y , λ
 ! , λ , ī , ð , χ , ì , ī
 " ' , g , || , í , " ' , f , g , ī , ε , || , ñ

í 1 € 9 u^D 0 ï " ρ ï F u^D a
Ж

í 1' € ı ı ı X ^D ı ||. ů
ı ı , ı M⁺ r

' ' 1 ε ε @ , ̢ İY F ı ı ε ̢ ε^D
^D ï ̢ F ï ε^D κ^D G II r

' ' 1 P ε[~] II 0 II π 0 r ε 0 9 " ' ı ̢
ı ï " ' L ı Ā 0 ï " ' @ γ. `Y ï " r

ε 0 " ' ε^D u ı u. ï ε
ε. ı ε^D u P ı Ā' ï ε X ^D 3 k. ı
f p Σ f 3 k ı ^D ï ˆ 3 ï
ı ı F " ' p Σ ï ̢ ε 0 π ï ı ε τ
̢ ı ı ı " ' p || Σ ρ ï
ε ˆ r

' ' 1 " ' ε † ï "

II ů ı ı ε ı Ĥ r ε 0 ï 9 ε^D
= ı İ ı " ' ρ κ M⁺ ï 0 u F ï
0 u 2 `Y τ r ε 0 ˆ 0 İ F
0 "Q r

' ' 1[~] κ^{D~} II " 0 ψ 0 ε ï " † ̢ Ā
0 r ï 0 π 0 ε ï ε[~] II " ' G II ı r

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ı o M ψ " ' ε^D ε r ε II ı γ. o M ε ï P ^D U
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o Ж ε İ İ ı 0 r

$$\Gamma \cap \tau \in \mathcal{U} \cap \tau \quad \Gamma \in \tau \quad \Gamma \in \tau \mathbb{K}$$
$$\Gamma_{\mathcal{A}} \in \mathbb{R}^{n \times n} \quad \varepsilon \gamma^* \quad \Gamma_P \in \mathbb{R}^{n \times n} \quad \Gamma^* \in \mathbb{R}^{n \times n}$$

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 ~ || F Ů İ Ů † İ * . D p f θ r

' P 1 ε ε D D ~ || Γ 'Y E

Γ' ε D μ Ж

Γ ε ε D Ж

Γ P ε ε Ů Ж

Γ ε İ̇ θ r

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 İ 'H φ ε γ Ж H ε İ Ů θ ε D
 D 2/3 || p ε n r

ε D " " İ ' . ' r

' P 1 ε D " " ϕ E b " " r

ε D D || ~ ϕ ∑ İ H 'H φ ε Ÿ ∓ π Γ İ̇ ||
 1 1 J D 1 D U f
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' P 1* ε D D İ ε . θ Ж ε F θ İ̇ ||
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$\acute{\tau} \in \varphi'' \check{\iota}$ $\kappa \downarrow$ $\dagger$ $\downarrow$ $\cup k \ominus \dot{\iota}$ $\downarrow$
 $\mathfrak{q} \downarrow \ddot{H}$ $\dot{\iota}$ $u \check{\iota} \sim$ $\mathfrak{x} F \mathfrak{J}$ $\ominus \dot{\iota}$ $X \sqcup$ $\mathfrak{H} \varphi$ $u \downarrow$
 $\mathfrak{u}$ $u \downarrow$ $\downarrow \mathfrak{p}$ $u \downarrow U^B$ $\downarrow \varepsilon \downarrow$ $u \check{\iota} \downarrow$ $\mathfrak{K}$

$\acute{\tau} \in$ $\mathfrak{y} \varepsilon \gamma$ Υ $\downarrow$ τ $\Delta \mathfrak{H}$ $u \mathfrak{K}$

$\acute{\tau} \in$ $\downarrow$ $\downarrow X$ $\mathfrak{D}$ $\downarrow''$ $\mathfrak{p}$ $\parallel$ $k^{\dot{\iota}}$
 $\Sigma \mathfrak{p}$ $F \downarrow$ $\downarrow \mathfrak{b}$ $u \mathfrak{r}$

$\overline{\pi}$ $\tau X''$ $\kappa \downarrow$ $\dagger$ $\cup k \check{\iota} F \sim$ f''
 $\check{\iota} n'$ $\dagger \mathfrak{z}$ $\check{\iota}$ f'' $\check{\iota} \acute{\tau} \in \check{\iota}$ $\cup$
 $k \mathfrak{r}$ ε $\mathfrak{u}$ $\check{\iota}$ $\mathfrak{u}$ $\varepsilon^D \mathfrak{r}$ ε^D
 $\circ$ ε $\mathfrak{u}$ $\mathfrak{x} \mathfrak{z} \mathfrak{z}$ $\check{\iota} f$ $\downarrow n$

$\mathfrak{r}$

$\mathfrak{u}$ $\mathfrak{y}$ $\circ''$ ε $U \mathfrak{r} \Delta$ $\mathfrak{z} E$

$\acute{\tau} \in''$ $\mathfrak{p}$ $\downarrow$ $\downarrow$ $\downarrow$ $\mathfrak{z} \downarrow \parallel$
 $\mathfrak{p}$ $\Sigma \mathfrak{p} \downarrow \mathfrak{b}$ $\check{\iota}$ $\check{\iota} \downarrow$ $\circ \mathfrak{p}$ $\mathfrak{u}$ ε $\mathfrak{K}$

$\acute{\tau} \varepsilon \in U$ $\mathfrak{K}$

$\acute{\tau} \mathfrak{p} \in \downarrow$ $\mathfrak{p}$ $\mathfrak{u}$ $\mathfrak{r}$ $\check{\iota}$ $\check{\iota}$ $\mathfrak{p}$ $\Sigma \mathfrak{K}$

$\acute{\tau} \in \downarrow$ $\parallel \mathfrak{p}$ ε $\downarrow^D$ $\mathfrak{r}$
 $\mathfrak{K}$

$\acute{\tau} \in \downarrow$ γ $\mathfrak{z}$ $\check{\iota} F$ $\mathfrak{H} F$ $\mathfrak{K}$

$\acute{\tau} \in$ $\downarrow$ $\downarrow X$ $\mathfrak{D}$ $\downarrow \parallel$ $k^{\dot{\iota}}$ $\Sigma \mathfrak{p}$
 $\downarrow \mathfrak{b}$ $\mathfrak{z} \mathfrak{r}$

$\mathfrak{u}$ $\mathfrak{y}$ ε $\mathfrak{a} \mathfrak{r} \Delta$ $\mathfrak{z}$ E

$\acute{\tau} \in$ $X \sqcup$ $\check{\iota}$ $\mathfrak{u}$ $\downarrow \varphi \varepsilon$ $\downarrow \mathfrak{q}$ $\mathfrak{K}$

$\acute{\tau} \varepsilon \in \mathfrak{q}$ ε^D $\mathfrak{u}$ $\kappa^D \mathfrak{K}$

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í ε € " ' ü ï ü " Ω Ж

í Þ € ρ " ' ε ¢ ¢ ¢ ¢ " ü ü Ж

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ι β ε ρ

' γ Þ " ' Η ε ï' ζ ¢ ¢ ¢ ρ ε ¢
ï í € ε ï ε ζ ¢ ε Ω ~ ρ

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ε ζ ¢ ¢ ~ || " ' ι β ε ρ

ε ζ ¢ γ ε í n β' o ε ~ ρ ι Ж
, F F ï α o ü || ρ ε ~ || ~ β' o ψ ι ρ

$\Gamma \in \circ \varepsilon \circ \quad \ddot{\Gamma} \quad \text{Ж}$
 $\Gamma^* \in \text{`}\text{л} \quad , \text{u} \quad , \quad \text{е} \quad \text{Ж}$
 $\Gamma^* \in \text{``}' \varepsilon \downarrow \quad \Gamma \in \rho \text{`}\text{л} \quad , \text{u} \quad \circ \quad \circ \parallel \ddot{\text{U}} \varepsilon \downarrow$
 $\quad \Gamma \in \rho \text{`}\text{л} \quad , \text{u} \quad \circ \quad \leftrightarrow \quad \ddot{\Gamma} \varepsilon \text{ } \text{q} \varepsilon^{\text{D}} \text{е} \quad \text{Ж}$
 $\hat{\Gamma}^{\wedge} \in \text{``}' \text{q} \text{H} \downarrow \quad \downarrow \ddot{\Gamma} \quad \text{``}' \quad \varepsilon, \quad \ddot{\Gamma}$
 $\quad \text{q} \varepsilon^{\text{D}} \text{е} \quad \text{Ж}$
 $\Gamma^* \in \text{q} \text{``}' \quad \text{е}, \quad \Upsilon \quad \leftrightarrow \rho \quad \text{Ж}$
 $\Gamma \text{Й} \in \vdash \quad \varepsilon \quad \leftrightarrow \text{Ж}$
 $\Gamma \text{Г} \in \varepsilon^{\text{D}} \quad \text{`}\text{л} \varepsilon \text{Г}$
 $\quad \circ \text{u}^{\text{D}} \quad \Gamma \Delta \varepsilon \text{ } \text{q} \varepsilon^{\text{D}} \text{е} \quad \text{E}$
 $\Gamma' \in \circ \quad \circ \text{`}\Omega \varepsilon \text{Ж}$
 $\Gamma \varepsilon \in \circ \quad , \text{u} \text{Ж}$
 $\Gamma \text{P} \in \downarrow \quad \downarrow \chi \quad^{\text{D}} \quad \downarrow \text{``}' \quad \text{p} \quad \parallel \quad \Sigma \rho$
 $\quad \text{`}\text{л} \varepsilon \text{Г}$
 $\quad \text{' } \text{' } \text{Г}' \quad \text{f} \quad \text{u}^{\text{D}} \quad \vdash \quad \varepsilon \downarrow \quad , \text{u} \quad \parallel$
 $\quad \ddot{\Gamma} \vdash \downarrow \quad \varepsilon \downarrow \quad , \text{u} \quad \text{``}' \quad \vdash \downarrow \text{``}' \quad \downarrow \text{н f}$
 $\text{н} \quad \text{f} \quad \text{Г}$
 $\quad \text{f} \quad \text{u}^{\text{D}} \text{Г} \quad \text{E}$
 $\Gamma' \in \text{``}' \varepsilon \rho \quad , \text{u} \text{ГГ} \quad \downarrow \quad \downarrow \quad \ddot{\Gamma} \vdash$
 $\quad \leftrightarrow \quad \text{Ж} \quad \leftrightarrow \quad \text{Г} \sim \text{*f} \text{Г} \quad \text{м} \parallel \downarrow \quad \ddot{\text{U}} \text{Г}$
 $\text{м} \varphi \quad \ddot{\Gamma} \text{!} \rho \quad \text{Г} \quad \rho \vdash \quad \text{Ж}$
 $\Gamma \varepsilon \in \text{``}' \varepsilon \rho \quad , \text{u} \quad \text{``}' \ddot{\Gamma} \quad \text{Г}$
 $\text{е} \quad \text{Ж}$
 $\Gamma \text{P} \in \vdash \quad \text{``}' \varepsilon \rho \quad , \text{u} \quad \text{!} \quad \leftrightarrow \ddot{\Gamma} \quad \text{``}' \quad \text{!} \quad \leftrightarrow$
 $\quad \text{Ж}$

í € " ´ † " Ж

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í ¨ € \ ¢ \ Ъ r

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í' € ε \ , u Ж

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Ł Ж

í ρ € ε \ , u ≡ " ´ ↔ Ж

í € \ \ X ¢ \ " ´ ρ || Σ ρ
\ Ъ ε r

ε ¢ f u ¢ 'H Ĩ ε ¢ "

[illegible]

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$$\Gamma \in \mathcal{O}(3, \mathbb{R}) \quad \Gamma \in \mathcal{O}(n, \mathbb{R})$$

' " 1 " ġ € ε^D ï ą Δ Ε

$$\Gamma' \in I \quad \text{---} \quad \Gamma \quad \text{---} \quad \Gamma'' \quad \text{---} \quad \Gamma''' \quad \text{---} \quad \Gamma'''' \quad \text{---} \quad \Gamma'''''$$
$$\Gamma_\varepsilon \in \mathcal{C}^{\infty}(\mathbb{R}^n) \Leftrightarrow \mu \in \mathcal{M}^+$$

ГРЕ "У" Ж

$$\dot{\Gamma} \in \mathbb{R}^{n \times n} \quad \vdash \quad \mathbb{K}$$
$$\tilde{\Gamma}^{\nu} \in \mathcal{L}^{\nu}(\mathcal{H}^{\nu}, \mathcal{H}^{\nu}) \quad \Gamma_{\varphi} \in \mathcal{K}$$
$$\Gamma^{\gamma} \in \mathcal{E}^D \circ \text{''}' \Gamma \in \mathcal{E}_d \text{ } \mathbb{Z}$$

$\Gamma_{\alpha\beta} \in \mathbb{O}$
 $\varepsilon^D \in \mathbb{O}$
 Π

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$$\Gamma \in \Delta \quad \varepsilon^D \quad D \quad r$$
$$u \in \mathcal{C}^1(\mathbb{R}^n) \cap L^\infty(\mathbb{R}^n) \text{ satisfies } \Delta u = f \text{ in } \mathbb{R}^n, \text{ then } u \in \mathcal{C}^2(\mathbb{R}^n) \cap L^\infty(\mathbb{R}^n).$$
$$\gamma \in \Sigma \quad \Delta \cup E$$
$$\tilde{\Gamma}^i \in \tilde{\Gamma} \in D^{\sim} \quad \text{to} \quad \mu \tilde{\Gamma}^i \quad \text{to} \quad u \mathbb{K}$$
$$\Gamma_\varepsilon \in \Gamma \quad \in \mathbb{U} \quad \text{u}_{\Gamma_\varepsilon} \quad \Gamma_\varphi \quad \mathbb{U} \quad \Gamma_\varphi \quad \mathbb{U}$$
$$\Gamma \in \mathcal{C}^1(\mathbb{R}^n) \quad \text{with} \quad \Gamma \geq 0 \quad \text{and} \quad \Gamma \equiv 0 \quad \text{on} \quad \partial \Omega.$$
$$\Gamma \in \mathcal{E}^D \quad \text{if} \quad \exists \varepsilon \quad r$$

‘ ʳ ɣʹ ǵ Ǝ̃ ॥ օ ॥ ɸ̄ ʂ ɾ ʔ̃ ǵ
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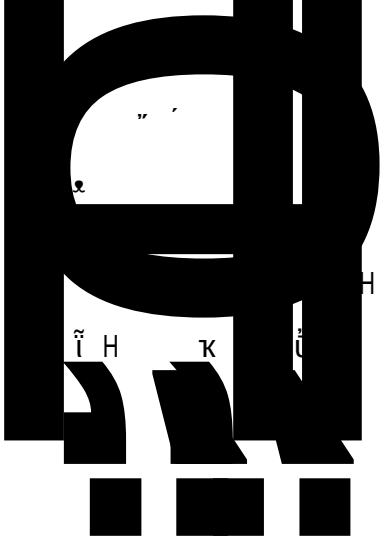
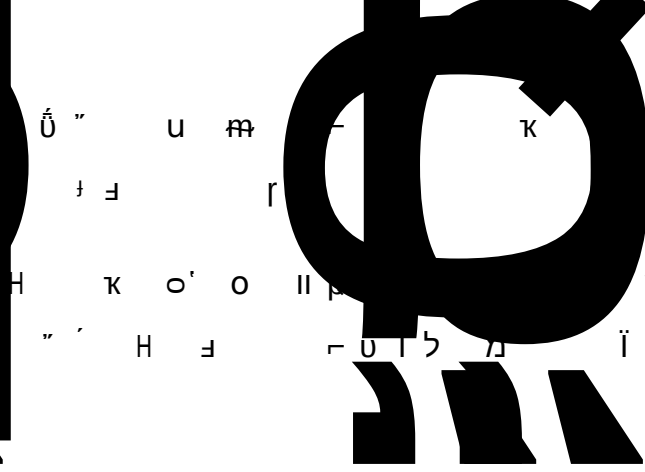
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ε R " " ' † ω ĩ † , w ŭ , v r

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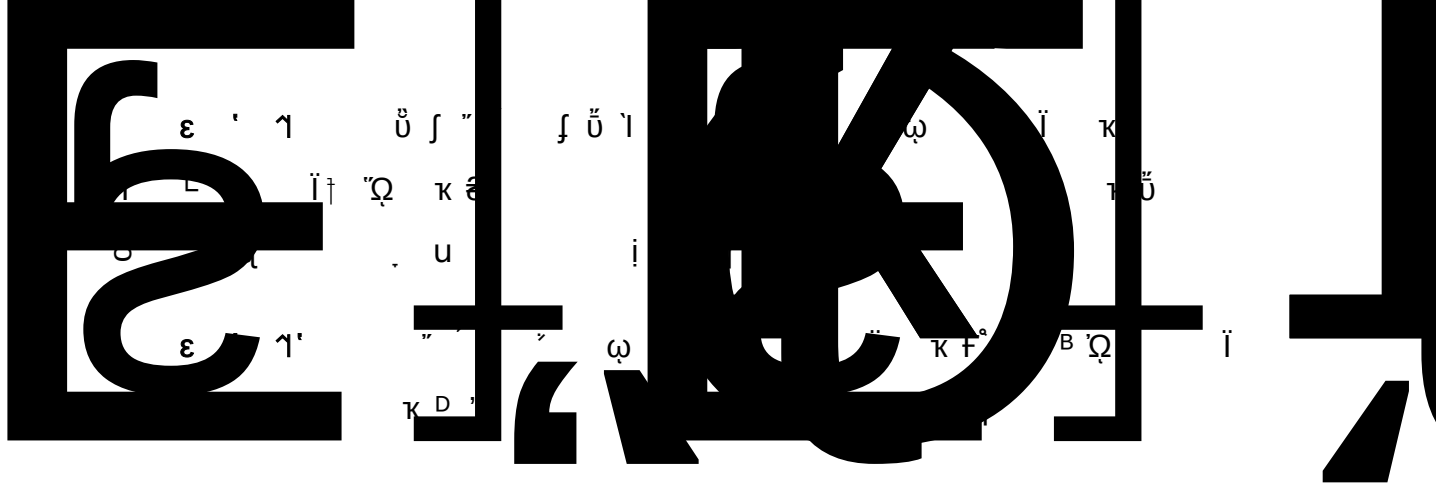
" ' † ω ĩ κ Ǝ ʔ † ʔ ĩ 9
" ' 9 r

ε R Ĩ " ' s ' ʔ P ε Q u ĩ τ
Q ĩ~ || † ω Q r

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ε P^1 M
 $\Gamma' \in \kappa \tilde{I} \setminus \mathfrak{Q} \setminus \mathcal{V} \mathcal{V}'$ $50\% \parallel p$ $\kappa \mathcal{K}$
 $\mathfrak{Q} \vdash F$ $50\% \tilde{I} \mathfrak{x} \mathfrak{s} \setminus$ $\mathfrak{Q}^{\circ}$ $\mathcal{V} \parallel \kappa^D$ $\mathcal{V}$
 $\mathcal{V}$ $\mathcal{V}$ $\kappa \mathcal{V}'$ p $\parallel$ ΣM $\kappa \mathcal{I}$
 $\Gamma \varepsilon \in \dagger \tilde{I}$ $\tilde{I} \setminus \mathcal{V}$ $\mathcal{V} \setminus \tilde{I}$ $\mathcal{V}$
 $\mathfrak{e} \mathcal{V}$
 $\Gamma P \in \tilde{I} \Gamma \in \tilde{I} \tilde{I} \mathcal{V}'$ $\kappa \setminus \dagger \setminus \varepsilon \setminus$
 $u \mathfrak{f} \setminus \dagger \cup k \tilde{A} \tilde{I} \tilde{I} \parallel \tilde{U} \mathcal{V}'$ $p \parallel$
 $\Sigma^{\sim}$ $\mathcal{V}' \mathcal{V}$ $\mathcal{V} \setminus \tilde{I} \mathcal{I} \mathfrak{x} \tilde{I}$ $\cup k \tilde{A} F :$ $\mathfrak{e} n \tilde{U}$
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 $\Gamma \in \tilde{I} \setminus \tilde{U} \mathcal{V}'$ $p \tilde{I} \Sigma^9$
 $\tilde{I} N \varepsilon \eta \sim \mathcal{I} p \Sigma \mathcal{I} N$
 $\varepsilon \eta \tilde{I} X N^D \varepsilon^+ \eta U_M \mathfrak{f} \mathcal{I} p \Sigma \mathcal{I} X N \eta U_M$
 $\tilde{I} N u^D \eta U_M \mathfrak{f} \mathcal{I} p \Sigma \mathcal{I} X N u^D \eta U_M' \eta \mathcal{I}$
 $\varepsilon P^1 \varepsilon \varepsilon^{D^{\sim}} \mathfrak{s} \tilde{I} \dagger \Sigma \mathcal{I} \Sigma F \mathfrak{f}$
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 $\varepsilon P^1 P \parallel X \tilde{\Theta} \tilde{I} \setminus \circ \omega F n \mathfrak{f}$
 $M \tilde{I} \parallel \kappa \mathcal{V} \parallel u X \mathfrak{e} \parallel \mathcal{I}$
 $\varepsilon P^1 N \parallel p \eta \setminus N \parallel Y \eta \setminus N \parallel \Gamma' \eta U \mathcal{K} N \parallel$
 $\eta \setminus N u \mathcal{I} \eta \setminus N \mathcal{I} \eta \setminus N \mathcal{I} \eta \setminus N \eta \setminus N F \eta F U \mathcal{I}$
 $\varepsilon P^1 \mathcal{V}' \mathcal{V}' \varepsilon^D \mathcal{I}$
 $\varepsilon P^1 \mathcal{V}' \mathfrak{z} \sim \kappa^D \varepsilon \Sigma \mathcal{P} \varepsilon^D \varepsilon \Sigma \mathcal{I}$
 $\varepsilon P^1 \mathfrak{z} \kappa^D u \tilde{I} \mathcal{V}' \tilde{I} H$
 $\mathcal{V} p \tilde{A} \mathcal{I}$